



J.K. SHAH[®]

TEST SERIES

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SUGGESTED SOLUTION

CA FINAL NOVEMBER 2016 EXAM

ADVANCED MANAGEMENT ACCOUNTING

Test Code - F N J 6 0 7 7

BRANCH - (MUMBAI) (Date : 11.09.2016)

Head Office : Shraddha, 3rd Floor, Near Chinai College, Andheri (E), Mumbai – 69.

Tel : (022) 26836666

Answer-1 :

Calculation of Life-cycle Costs

	CF (Rs.)	OF (Rs.)
Initial Cost	28,000	40,000
Add: Annual Operating Costs	1,48,656 (Rs.24,000 × 6.194)	1,11,492 (Rs.18,000 × 6.194)
Total Life Cycle Costs	1,76,656	1,51,492

The annuity of 12% finance costs for 12 years is 6.194.

Analysis

When we compare only the initial cost, we will tend to purchase CF system, for its cheap acquisition cost. But when we compare the total life-cycle costs, the OF system is mostpreferable, for its lowest total life-cycle costs.

(5 Marks)

Answer-2 :

Let y_1, y_2, y_3 be the number of units produced of products P, Q and R respectively.

Objective function:

Then the profit gained by the industry is given by

$$Z = 3y_1 + 8y_2 + 2y_3$$

(1 Mark)

Here it is assumed that all the units of products P and Q are sold.

Condition-1:

In first operation, P takes 3 hrs of manufacturer's time and Q takes 4 hrs of manufacturer's time. Therefore, total number of hours required in first operation becomes-

$$3y_1 + 4y_2$$

(1 Mark)

In second operation, per unit of P takes 3 hrs of manufacturer's time and per unit Q takes 5 hrs of manufacturer's time. Therefore, the total number of hours used in secondoperation becomes

$$3y_1 + 5y_2$$

(1 Mark)

Since there are 18 hrs available in first operation and 21 hrs in second operation, therestrictions become

$$3y_1 + 4y_2 \leq 18$$

$$3y_1 + 5y_2 \leq 21$$

(1 Mark)

Condition-2:

Since the maximum number of units of R that can be sold is 5, therefore,

$$y_3 \leq 5$$

(1 Mark)

Condition-3:

Further, the company gets three units of by product R for every unit of product Q produced, therefore

$$y_3 = 3y_2$$

(1 Mark)

Now, the allocation problem of the industry can be finally put in the following linearprogramming problem:

Maximise

$$Z = 3y_1 + 8y_2 + 2y_3$$

(1 Mark)

Subject to the Constraints:

$$3y_1 + 4y_2 \leq 18$$

$$3y_1 + 5y_2 \leq 21$$

$$y_3 \leq 5$$

$$y_3 = 3y_2$$

$$y_1, y_2, y_3 \geq 0$$

(1 Mark)

Answer-3 :**Computation of Cost Indifference Points for three alternatives**

$$\begin{aligned} \text{Cost Indifference Point of two machines} &= \frac{\text{Difference in Fixed Cost}}{\text{Difference in Variable Cost per unit}} \\ \text{Machine M}_1 \& \text{ M}_2 &= \frac{\text{Rs.2,50,000} - \text{Rs.1,50,000}}{(\text{Rs.100} + \text{Rs.70} + \text{Rs.30}) - (\text{Rs.50} + \text{Rs.40} + \text{Rs.10})} \\ &= \frac{\text{Rs.1,00,000}}{\text{Rs.100}} \\ &= 1,000 \text{ units} \end{aligned} \quad (2 \text{ Marks})$$

$$\begin{aligned} \text{Machine M}_2 \& \text{ M}_3 &= \frac{\text{Rs.1,50,000} - \text{Rs.70,000}}{(\text{Rs.150} + \text{Rs.200} + \text{Rs.50}) - (\text{Rs.100} + \text{Rs.70} + \text{Rs.30})} \\ &= \frac{\text{Rs.80,000}}{\text{Rs.200}} \\ &= 400 \text{ units} \end{aligned} \quad (2 \text{ Marks})$$

$$\begin{aligned} \text{Machine M}_1 \& \text{ M}_3 &= \frac{\text{Rs.2,50,000} - \text{Rs.70,000}}{(\text{Rs.150} + \text{Rs.200} + \text{Rs.50}) - (\text{Rs.50} + \text{Rs.40} + \text{Rs.10})} \\ &= \frac{\text{Rs.1,80,000}}{\text{Rs.300}} \\ &= 600 \text{ units} \end{aligned} \quad (2 \text{ Marks})$$

From the above computations, it is clear that at activity level below the indifference point the alternative (machine) with lower fixed cost and higher variable costs should be used. In case the activity level exceeds the indifference point, a machine with lower variable cost per unit (or higher contribution per unit) and higher fixed cost, is more profitable to operate.

At the activity level equal to the indifference point both machines are on equal footing. Hence from the above we conclude as follows:

Activity Level	Machine Preference
Less than 400 units	M ₃
Exactly 400 units	Either M ₂ or M ₃
Above 400 units but less than 1,000 units	M ₂
Exactly 1,000 units	Either M ₁ or M ₂
Above 1,000 units	M ₁

When expected level of activity is 1,200 units i.e. more than 1,000 units, Machine M₁ should be used.

(2 Marks)**Answer-4 :****Determination of Initial Selling Price**

Let the Selling Price be Rs.K

Sales Value: Rs.4,000K

Annual Cash Cost	(Rs.)
Variable Cost (4,000 units × Rs.125)	5,00,000
Advertisement and Other Expenses	75,000
Additional Fixed Costs	37,500
Total Cash Cost	6,12,500

(2 Mark)

$$\begin{aligned} \text{Depreciation per annum (Rs.12,50,000 / 4)} &= \text{Rs.3,12,500} \\ \text{Profit for Taxation} &= 4,000 \times \text{Rs.K} - (\text{Rs.6,12,500} + \text{Rs.3,12,500}) \\ &= \text{Rs.4,000K} - \text{Rs.9,25,000} \end{aligned}$$

Tax at 30% on Profit = 30% of {Rs.4,000K - Rs.9,25,000}
 = Rs.1,200K - Rs.2,77,500
 Total Annual Cash Outflow = Rs.6,12,500 + (Rs.1,200K - Rs.2,77,500)
 = Rs.1,200K + Rs.3,35,000
 Net Annual Cash Inflow = Rs.4,000K - (Rs.1,200K + Rs.3,35,000)
 = Rs.2,800K - Rs.3,35,000
 Now, Present Value of Initial Cash Outflow = Present Value of Cash Inflow
 Or, Rs.12,50,000 = (Rs.2,800K - Rs.3,35,000) × 2.854
 Or, K = Rs.276.06
 Hence Selling Price should be Rs.276.06 per unit.

(5 Mark)

Answer-5 :

The given information can be tabulated in following transportation problem-

Manager	Assignment			Time Available (Hours)
	Transfer Pricing (₹)	Corporate Valuation (₹)	Statutory Audit (₹)	
S	1,800	2,250	2,850	176
D	2,100	1,950	1,800	176
K	2,400	2,100	2,250	176
Time Required (Hours)	143	154	176	

(1 Mark)

The given problem is an unbalanced transportation problem. Introducing a dummy assignment to balance it, we get-

Manager	Assignment				Time Available (Hours)
	Transfer Pricing (₹)	Corporate Valuation (₹)	Statutory Audit (₹)	Dummy (₹)	
S	1,800	2,250	2,850	0	176
D	2,100	1,950	1,800	0	176
K	2,400	2,100	2,250	0	176
Time Required (Hours)	143	154	176	55	528

(1 Mark)

The objective here is to maximize total billing amount of the auditors. For achieving this objective, let us convert this maximization problem into a minimization problem by subtracting all the elements of the above payoff matrix from the highest payoff i.e. '2,850.

Manager	Assignment				Time Available (Hours)
	Transfer Pricing (₹)	Corporate Valuation (₹)	Statutory Audit (₹)	Dummy (₹)	
S	1,050	600	0	2,850	176
D	750	900	1,050	2,850	176
K	450	750	600	2,850	176
Time Required (Hours)	143	154	176	55	528

(1 Mark)

Now, let us apply VAM method to the above matrix for finding the initial feasible solution.

Manager	Assignment				Time Avail. (Hours)	Difference		
	Transfer Pricing (₹)	Corp. Valuation (₹)	Stat. Audit (₹)	Dummy (₹)				
S	1,050	600	0	176	2,850	176/0	600 --	
D	750	900	121	1,050	2,850	176/55/0	150, 150, 1,950	
K	450	143	750	33	600	2,850	176/33/0	150, 300, 2,100
Time Required	143/0	154/121/0	176/0	55/0		528		
Difference	300	150	600	0				
	300	150	--	0				
	-	150	-	0				

(2 Marks)

The initial solution is given below. It can be seen that it is a degenerate solution since the number of allocation is 5. In order to apply optimality test, the total number of allocations should be 6 ($m + n - 1$). To make the initial solution a non-degenerate, we introduce a very small quantity in the least cost independent cell which is cell of K, Statutory Audit.

Manager	Assignment						
	Transfer Pricing (₹)	Corp. Valuation (₹)	Stat. Audit (₹)	Dummy (₹)			
S	1,050	600	0	176	2,850		
D	750	900	121	1,050	2,850	55	
K	450	143	750	33	600	e	2,850

Let us test the above solution for optimality-

$(u_i + v_j)$ Matrix for Allocated / Unallocated Cells

					u_i
	-150	150	0	2,100	-600
	600	900	750	2,850	150
	450	750	600	2,700	0
v_j	450	750	600	2,700	

Now we calculate $\Delta_{ij} = C_{ij} - (u_i + v_j)$ for non basic cells which are given in the table below-

(2 Marks)

Δ_{ij} Matrix

1,200	450		750
150		300	
			150

Since, all allocations in $\Delta_{ij} = C_{ij} - (u_i + v_j)$ are non negative, the allocation is optimal. The allocation of assignments to managers and their billing amount is given below:

(1 Marks)

Manager	Assignment	Billing Amount
S	Statutory Audit	Rs.5,01,600 (176 hrs. x Rs.2,850)
D	Corporate Valuation	Rs.2,35,950 (121 hrs. x Rs.1,950)
K	Transfer Pricing	Rs.3,43,200 (143 hrs. x Rs.2,400)
K	Corporate Valuation	Rs.69,300 (33 hrs. x Rs.2,100)
Total Billing		Rs.11,50,050

(2 Marks)

Answer-6 :

	If Plant is Continued	If Plant is Shutdown
Sales	7,60,000	—
Less: Variable Cost	5,70,000	—
Contribution	1,90,000	—
Less: Fixed Cost	3,50,000	1,30,000
Additional Cost	—	15,000
Operating Loss	1,60,000	1,45,000

A comparison of loss figures indicated as above points out that loss is reduced by '15,000 ('16,000 - '14,500) if plant is shut down.

$$\text{Shut Down Point} = \frac{\text{Rs.3,50,000} - \text{Rs.1,45,000}}{\text{Rs.8} - \text{Rs.6}}$$

Capacity Level of Shut Down Point

$$\text{At 100\% Level Production} = 1,18,750 \left(\frac{95,000 \text{ units}}{0.80} \right)$$

$$\text{Capacity Level at Shut Down} = 86.32\% \left(\frac{\text{Rs.1,02,500 units}}{1,18,750 \text{ units}} \right)$$

(12 Marks)